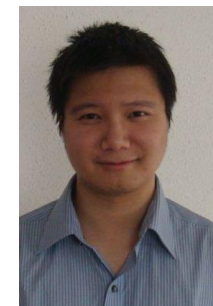


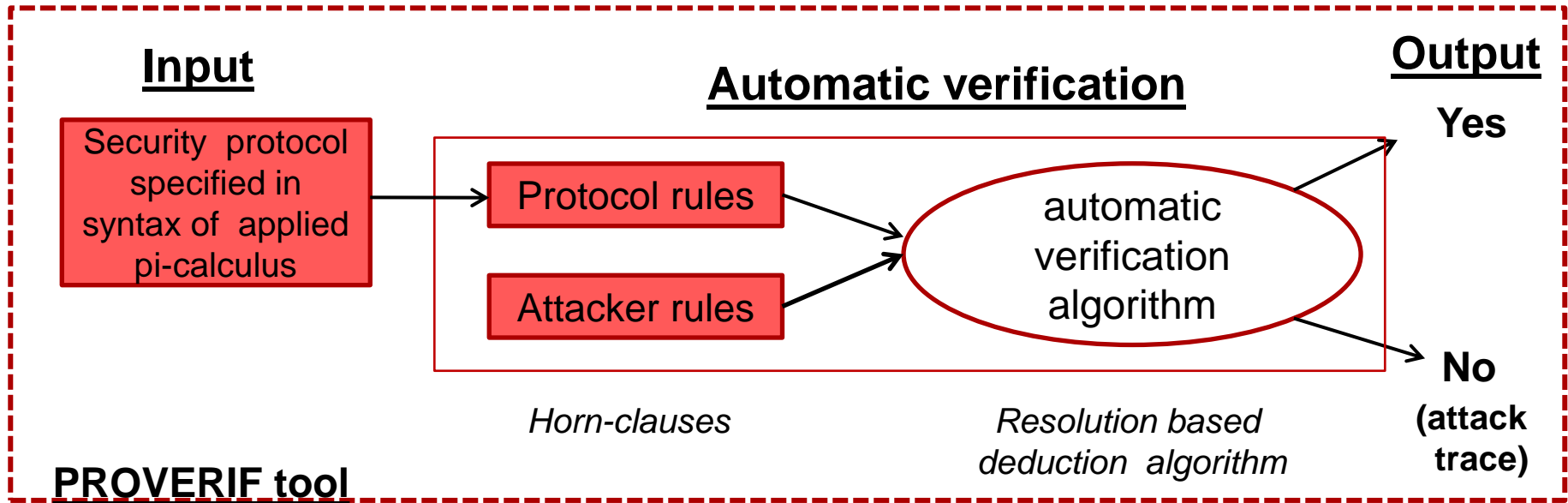
VERIFYING SECURITY PROTOCOLS USING THE PROVERIF TOOL

Security protocols (bmevihim132)

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Proverif verification tool



- Bruno Blanchet, ~ 2004.
- A kind of theorem prover (based on logic), but fully automated.
- Security protocols are specified in a simplified form of applied pi calculus.
- Can verify strong secrecy, weak secrecy, forward secrecy, authenticity, anonymity.

Variants of the pi-calculus

- Pure pi-calculus [Robin Milner. 1990]
 - Calculus for concurrent computation.
 - Main features: fresh names, communication channels, name passing, recursion.
- Spi-calculus [Martin Abadi, Andrew Gordon. 1997]
 - Extend the pure pi-calculus with fixed number of crypto primitives.
 - Main features: prove security properties using bisimulations.
- Applied pi-calculus [Martin Abadi, Cédric Fournet. 2001]
 - Extend spi-calculus with additional bisimilarities, more crypto primitives.
 - Main features: much easier usage to prove security properties.

Typed applied pi-calculus

$M, N ::=$	terms
a, b, c, k, m, n, s	names
x, y, z	variables
(M_1, \dots, M_k)	tuple
$h(M_1, \dots, M_k)$	constructor/destructor application
$C ::=$	conditions
$M = N$	term equality
$M <> N$	term inequality
M	term (of type bool)
$C \ \&\& \ C$	conjunction
$C \ \ C$	disjunction
$\text{not}(C)$	negation
$P, Q ::=$	processes
0	null process
$P \ \ Q$	parallel composition
$!P$	replication
$\text{new } n : t; P$	name restriction
$\text{in}(M, x : t); P$	message input
$\text{out}(M, N); P$	message output
$\text{if } C \ \text{then } P \ \text{else } Q$	conditional
$\text{let } x = M \ \text{in } P \ \text{else } Q$	term evaluation
$R(M_1, \dots, M_k)$	macro usage

$T ::=$	patterns
$x : t$	typed variable
x	variable without explicit type
(T_1, \dots, T_n)	tuple
$=M$	equality test

- Variable pattern $x:t$ matches any term of type t and binds the matched term to x .
- x can be used only when the type of x can be inferred from the context.
- Tuple pattern (T_1, \dots, T_n) matches tuples (M_1, \dots, M_n) where each component M_i is recursively matched with T_i .
- The pattern $=M$ matches terms N where $M = N$.
 - $\text{in}(=M);P$ waits a term that matches pattern M , then behaves as P .

Input e.g.,: $\text{in}(c, x:t); Q$ can be written as $\text{in}(c, =M); Q$

- Declaration, process definition, queries

$\langle decl \rangle ::=$

type t

free name $:t$

free name $:t$ [*private*]

const $c:t$

table $d(t_1, \dots, t_n)$

fun $f(t_1, \dots, t_n):t$

fun $f(t_1, \dots, t_n):t$ [*private*]

reduc forall $x_1:t_1, \dots, x_n:t_n; g(M_1, \dots, M_k) = M$

reduc forall $x_1:t_1, \dots, x_n:t_n; g(M_1, \dots, M_k) = M$ [*private*]

declaration

user defined type

public free names

private free names

constant c of type t

table d takes records of type t_1, \dots, t_n

public constructor function

private constructor function

public destructor application

private destructor application

ProVerif's input file – 2

$\langle \text{procmacro} \rangle ::=$
 $\text{let } R(x_1, \dots, x_n) = P.$

sub-process definition
 define a process with the name R .

$\langle \text{mainproc} \rangle ::=$
 $\text{process } P$

main process definition

$\langle \text{query} \rangle ::=$
 $\text{query attacker}(M).$
 $\text{query event } t(M) \implies \text{event}(N).$
 $\text{query inj-event}:M \implies \text{inj-event}:N.$
 $\text{noninterf } x$
 $\text{noninterf } x \text{ among } \{M_1, \dots, M_k\}$

define properties to be verified.
 want to verify weak secrecy of M .
 in any trace : event N is always before event M .
 in any trace : at least as many N - events as M - events.
 want to verify strong secrecy of x .
 want to verify strong secrecy of x taken value from a set.

The structure of the whole ProVerif source file is

$\langle \text{decl} \rangle^* \langle \text{query} \rangle^* \langle \text{procmacro} \rangle^* \langle \text{mainproc} \rangle$

<i>type t</i>	user defined type.
<i>free name:t</i>	free names.
<i>free name:t [private]</i>	private free names.

- User defined type can be anything except for pre-defined, built-in types.
 - User defined: bitstring, skey, pkey, etc.
- Free names model public data, which are available for the attacker.
 - public keys, communication channels, participant IDs, etc.
- Private names model secret data, which are not known by the attacker.
 - secret keys, etc.
- Identifiers range over an unlimited sequence of letters (a-z, A-Z), digits (0-9), underscores (_), singlequotes('), and accented letters from the ISO Latin 1 character set.
 - E.g. free **secretKey**:skey.

Constructor functions

fun $f(t_1, \dots, t_n) : t$

public constructor function

fun $f(t_1, \dots, t_n) : t$ [*private*]

private constructor function

- Constructor function:
 - f is a function of arity n .
 - t is a type of the returned value, and t_1, \dots, t_n are types of the arguments.
 - constructor functions are available to all participants (honest and attacker).
 - private constructor function are available to only honest participants.
 - E.g., key databased (table) stored by the honest nodes.

Destructor applications

$reduc\ forall\ x_1:t_1, \dots, x_n:t_n; g(M_1, \dots, M_k) = M$ public destructor application
 $reduc\ forall\ x_1:t_1, \dots, x_n:t_n; g(M_1, \dots, M_k) = M [private]$ private destructor application

- Destructor applications:
 - g is a function of arity k .
 - t_1, \dots, t_n are types of the variables x_1, \dots, x_n .
 - x_1, \dots, x_n are variables in terms M_1, \dots, M_k .
 - destructor applications are available to all participants (honest and attacker).
 - private destructor applications are available to only honest participants.

Symmetric encryption (User defined)

type bitstring, key.

fun senc(bitstring, key): bitstring

reduc forall m: bitstring, k: key; sdec (senc (m, k), k) = m.

Asymmetric encryption (User defined)

type bitstring, skey, pkey.

fun pk(skey): pkey

fun penc(bitstring, pkey): bitstring

reduc forall m: bitstring, k: skey; pdec (penc (m, pk(k)), k) = m.

Digital signatures (User defined)

type bitstring, sskey, spkey.

fun spk(sskey):spkey

fun sign(bitstring, sskey):bitstring

reduc forall m: bitstring, k : sskey; checksign (sign(m, spk(k)), k) = m.

One-way functions (User defined)

type bitstring, key.

fun hash(bitstring):bitstring.

fun mac(bitstring, key).

Tuples (bult-in)

fun (t₁, ..., t_k):bitstring

reduc forall x₁:t₁, ..., x_k:t_k; ith((M₁, ..., M_k)) = M_i

Tables and operations

table $d(t_1, \dots, t_n)$ (* declation*)
insert $d(M_1, \dots, M_n); P$
get $d(T_1, \dots, T_m)$ in P
get $d(T_1, \dots, T_m)$ suchthat C in P

- d is the name of the table which takes records of type t_1, \dots, t_n .
- Processes may populate and access tables, but deletion is forbidden.
- Process *insert* $d(M_1, \dots, M_n); P$ inserts the record M_1, \dots, M_n into the table d and then executes P .
- Process *get* $d(T_1, \dots, T_n)$ in P attempts to retrieve a record in accordance with patterns T_1, \dots, T_n .
 - When no such record is found, the process blocks.
 - In case there are several identical records, one is chosen from them.
- C is an additional condition for the records.

Process Macros, subprocesses

- Defining *sub-processes* that will be used in the main process.
- R is a *macro name*, P is a *sub-process* being defined x_1, \dots, x_n of type t_1, \dots, t_n are variable of P .
- $R(M_1, \dots, M_n)$ will then expand to P with M_1 substituted for x_1, \dots, M_n substituted for x_n .

$$\text{let } R(x_1 : t_1, \dots, x_n : t_n) = P$$

Bracketing, precedence

- $P \mid Q$ binds most closely, $! P \mid Q$ is equal to $!(P \mid Q)$
 - if C then Q else P
 - let $x=M$ in P else Q
 - unary processes bind least closely.
1. $\text{new } n : t ; \text{out}(c, n) \mid \text{new } n : t ; \text{in}(c, x : t) ; 0 \mid \text{if } x = n \text{ then } 0 \mid \text{out}(c, n)$, is bracketed as
 $\text{new } n : t ; \left(\text{out}(c, n) \mid \text{new } n : t ; \left(\text{in}(c, x : t) ; 0 \mid \text{if } x = n \text{ then } \left(0 \mid \text{out}(c, n) \right) \right) \right)$
 2. $\text{if } M = M' \text{ then if } N = N' \text{ then } P \text{ else } Q$, is bracketed as
 $\text{if } M = M' \text{ then } \left(\text{if } N = N' \text{ then } P \text{ else } Q \right)$
 3. $\text{let } x = M \text{ in let } y = N \text{ then } P \text{ else } Q$, is bracketed as
 $\text{let } x = M \text{ in } \left(\text{let } y = N \text{ then } P \text{ else } Q \right)$

Hello word script

1. (* *hello.pv: Hello World Script* *)

2. free c : channel.

Public channel

3. free K_1 : bitstring [private].

4. free K_2 : bitstring [private].

Secret keys

5. query attacker(K_1).

6. query attacker(K_2).

Can Dolev-Yao
attacker(s) obtain
keys?

7.

Main
process

8. process

9. out(c, K_2);

Send key K_2 on
channel c

10. 0

Termination of
process. Can
be omitted.


- The verification algorithm attempts to prove that the states in which the keys are obtained by the attacker are unreachable.

not attacker(K_1) is true/false

1. (* *Hello World Script with Macros* *)
2. free c : channel.
3. free K_1 : bitstring [private].
4. free K_2 : bitstring [private].
5. query attacker(K_1).
6. query attacker(K_2).
- 7.
8. let $R(x : \text{bitstring}) = \text{out}(c, x); 0$.
9. let $R'(y : \text{bitstring}) = 0$.
10. process $R(K_1) \mid R'(K_2)$



Macros



Main process

ProVerif output

Process :

[Process]

The specified protocol.
Each row is labelled with
{n}, where n is an integer.

-- Query [Query]

Completing...

Starting query [Query]

RESULT [un]reachable : Goal.

[Attack derivation]

Reconstruct
and return
the detected
attack

set traceDisplay = long.

[Attack trace]

RESULT [Query][result].

Finally, ProVerif
reports if the
Query was
satisfied.

- Internally, ProVerif attempts to prove that *a state in which a property is violated is unreachable*;
- ProVerif shows the (un)reachability of some [Goal].

Running result of the hello world script

Process

{ 1 } out(c, K₂)

-- Query not attacker(K₁[])

Try to prove **not**
attacker(K1[])

Completing...

Starting query not attacker(K₁[])

attacker(K1[])
is false

RESULT not attacker(K₁[]) is true.

-- Query not attacker(K₂[])

Completing...

Starting query not attacker(K₂[])

The attacker
can obtain K2.

goal reachable : attacker(K₂[]) .

The message K₂[] may be sent to the attacker at output { 1 } .

attacker(K₂[]) .

set traceDisplay = long.

Attack trace is
returned.

out(c, K₂) at { 1 }

The attacker has the message K₂ .

A trace has been found.

RESULT not attacker(K₂[]) is false

Queries full syntax

$q ::=$	query
F	fact
$F ==> H$	correspondence
$H ::=$	hypothesis
F	fact
$H \ \&\& \ H$	conjunction
$H \ \ H$	disjunction
$(F ==> H)$	nested correspondence
$F ::=$	fact
$\text{attacker}(M)$	the adversary has M (in any phase)
$\text{attacker}(M) \ \text{phase } n$	the adversary has M in phase n
$\text{mess}(N, M)$	M is sent on channel N (in the last phase)
$\text{mess}(N, M) \ \text{phase } n$	M is sent on channel N in phase n
$\text{event}(e(M_1, \dots, M_n))$	non-injective event
$\text{inj-event}(e(M_1, \dots, M_n))$	injective event
$M=N$	equality
$M<>N$	inequality

- Reachability and weak secrecy
 - which term will be obtained by the attacker during protocol runs.
 - E.g., **query attacker(M)** - can the attacker obtain term M?
M is ground term, does not contain destructor applications.
- Correspondence assertions, events, authentication
 - if an event e has been executed, then event e' has been previously executed.
 - processes are annotated with **events**, which mark stages reached by the protocol.
 - but do not affect the behaviour of processes.
 - definition in process: **Process** **event** $e(M_1, \dots, M_n)$; **P**
 - declaration: **event** $e(t_1, \dots, t_n)$. Where t_1, \dots, t_n are types of arguments.
 - Query: **query** $x_1:t_1, \dots, x_n:t_n$; **event** $e(M_1, \dots, M_j) \implies \text{event } e' (N_1, \dots, N_i)$
 - for each occurrence of $e(M_1, \dots, M_j)$, event $e' (N_1, \dots, N_i)$ has occurred before.
- Injective correspondence
 - one-to-one relationship between the number of protocol runs performed by each participant.
 - E.g., Financial transaction
 - server request payment from the client.
 - server should complete payment only once for each transaction started by the client.
 - Query: **query** $x_1:t_1, \dots, x_n:t_n$; **inj-event** $e(M_1, \dots, M_j) \implies \text{inj-event } e' (N_1, \dots, N_i)$

Naiv handshake protocol

$$C \rightarrow S : pk_C$$

$$S \rightarrow C : \{ \{ pk_S, k \}_{sk_S} \}_{pk_C}$$

$$C \rightarrow S : \{s\}_k$$

- Each principal has a public/private keypair.
- The client knows the server's public key.
- The aim of the protocol: client shares the secret s with the server.
- Security properties would like to provide
 - **Secrecy**: the value s is known only to Client and Server.
 - **Authentication of Client to Server**: if Server reaches the end of the protocol and he believes he has shared the key k with Client, then Client was indeed his interlocutor and she has shared k .
 - **Authentication of Server to Client**: if Client reaches the end of the protocol with shared key k then Server indeed proposed k for use to Client.

Symmetric encryption

- **type** key.
- **fun** senc(bitstring, key) : bitstring.
- **reduc for all** m: bitstring, k:key; sdec(senc(m,k), k) = m.

Assymmetric encryption

- **type** skey.
- **type** pkey.
- **fun** pk(skey) : pkey.
- **fun** aenc(bitstring, pkey) : bitstring.
- **reduc for all** m: bitstring, k : skey; adec(aenc(m, pk(k)),k) = m.

Digital signature

- **type** sskey.
- **type** spkey.
- **fun** spk(sskey) : spkey.
- **fun** sign(bitstring, sskey) : bitstring.
- **reduc for all** m: bitstring, k : sskey; getmess(sign(m, k)) = m.
- **reduc for all** m: bitstring, k : sskey; checksign(sign(m, k), spk(k)) = m.

Verifying weak secrecy in the Handshake protocol.

```

1  free c : channel .
2  free s : bitstring [private] .
3  query attacker(s) .
4
5  let clientC(pkC: pkey, skC : skey, pkS: spkey ) =
6  out(c, pkC) ;
7  in(c, x : bitstring);
8  let y = adec(x, skC) in
9  let (=pkS, k : key) = checksign(y, pkS) in
10 out(c, senc(s, k )) .
11
12 let serverS(pkS: spkey, skS : sskey) =
13 in(c, pkX: pkey);
14 new k : key;
15 out(c, aenc(sign((pkS, k), skS), pkX));
16 in(c, x : bitstring);
17 let z = sdec(x, k) in 0.
18
19 process
20 new skC : skey;
21 new skS : sskey;
22 let pkC = pk(skC) in out(c, pkC);
23 let pkS = spk(skS) in out(c, pkS);
24 ( (! clientC(pkC, skC , pkS)) | (! serverS(pkS, skS)) )

```

Client subprocess
(Process Macro)

Server subprocess
(Process Macro)

Main process

Verifying authenticity in the Handshake protocol.

Client believes it has terminated a protocol run with parameters *symm. key* and *its pub. key*.

```

1 free c : channel.
2 free s : bitstring [private].
3 query attacker(s).

```

Client accepted to run the protocol with Server with the *symm. key*

```

4 event acceptsClient(key).
5 event acceptsServer(key, pkey).
6 event termClient(key, pkey).
7 event termServer(key).

```

Server accepted to run the protocol with a **client** with the *symm. key* and *client's public key*.

Server believes it has terminated a protocol run with Client using *symm. key*.

```

8 query x:key, y:pkey; event(termClient(x,y)) ==> event(acceptsServer(x,y)).
9 query x:key; inj-event(termServer(x)) ==> inj-event(acceptsClient(x)).

```

Client wants to be sure that when it completes the protocol it has **indeed shared its secret with Server**.

Not injective: Server's msg can be replayed

```

11 let clientC(pkC: pkey, skC: skey, pkS: spkey) =
12 out(c, pkC) ;
13 in(c, x : bitstring);
14 let y = adec(x, skC) in
15 let (=pkS, k : key) = checksign(y, pkS) in
16 event acceptsClient(k).
17 out(c, senc(s, k));
18 event termClient(k, pkC).

```

```

19 let serverS(pkS: spkey, skS : sskey) =
20 in(c, pkX: pkey);
21 new k : key;
22 event acceptsServer(k, pkX).
23 out(c, aenc(sign((pkS, k), skS), pkX));
24 in(c, x : bitstring);
25 let z = sdec(x, k) in if pkX = pkC then event termServer(k).

```

Injective corresp.:
Server believes that at the end of the prot. **Client was indeed its partner**.

One-to-one relation

$$A \rightarrow S : pk_A$$
$$S \rightarrow A : \{ \{ pk_S, k \}_{sk_S} \}_{pk_A}$$
$$C \rightarrow S : pk_C$$
$$A \rightarrow C : \{ \{ pk_S, k \}_{sk_S} \}_{pk_C}$$
$$C \rightarrow S : \{ s \}_k$$

- **Man-in-the-middle** (and Interleaving) attack
 - The *attacker starts a session with the server*.
 - Server send the session key to the attacker.
 - The attacker decrypts the received message with its public key, and then encrypts the result with pk_C .
 - When Client initiates a session with Server, the attacker impersonates Server.
 - The attacker knows the session key k , and can later use it to decrypt messages that Client sends to Server.

- Intuitively, two processes P and Q are observationally equivalent, written $P \approx Q$, when an active adversary cannot distinguish P from Q .
- Can be used to prove strong secrecy of some value s .
- Capture the adversary's ability to learn **partial information** about the secret.
 - A protocol provides strong secrecy of secret if the attacker cannot distinguish $\text{Protocol}\{0/\text{secret}\}$ from $\text{Protocol}\{1/\text{secret}\}$, that is, $\text{Protocol}\{0/\text{secret}\} \approx \text{Protocol}\{1/\text{secret}\}$.

The strong secrecy of values x_1, \dots, x_n is defined in ProVerif by :

/ free x_1, \dots, x_n [private]. */*

1. *noninterf x_1, \dots, x_n or*

2. *noninterf x_1 among (N_1, \dots, N_k)*

...

x_n among (M_1, \dots, M_l)

- When the process under consideration is P , this query is true if and only if

$$P\{M1/x1, \dots, Mn/xn\} \approx P\{N1/x1, \dots, Nn/xn\}$$

Observation equivalent examples

```

1  free c : channel .

2  (* Types *)
3  type key.
4  type bitstring.

   (* Shared key encryption, decryption *)
5  fun senc(bitsring, key): bitstring
6  reduc forall x: bitstring, y: key; sdec(senc(x,y),y) = x.

7  (* The shared key *)
8  free k : key [private].

9  (* Query *)
10 free secret : bitstring [private]
.
11 (* Prove strong secrecy of secret *)
12 noninterf secret.

   (* Main process *)
13 process
14   (!out(c, senc(secret, k))) | (!in(c, x : bitstring); let s = sdec(x, k) in 0)

```

- Prove that the attacker cannot obtain partial information (guess) of secret.

```
1  free c : channel .
2  (* Types *)
3  type key
4  type bitstring

   (* Hash *)
5  fun hash(bitstring): bitstring

6  (* The shared key *)
7  free x, n : bitstring [private].

8  (* Prove strong secrecy of secret *)
9  noninterf x among ( n, hash(n) ).

   (* Main process *)
10 process out(c, x)
```

- Prove that the attacker cannot distinguish n from $hash(n)$.

Observation equivalent examples cont'd

1 **free** c : channel .

2 (* Types *)

3 **type** skey.

4 **type** pkey.

(* Hash *)

5 **fun** pk(skey): pkey.

6 **fun** aenc(bitstring, pkey): bitstring.

7 **reduc forall** m: bitstring, k: skey; adec(aenc(m, pk(k)), k) = m .

8 (* The shared key *)

9 **free** vote: bitstring [**private**].

10 weaksecret vote.

(* Process macros, that is, sub-processes. *)

11 let Voter(pkA: pkey) = **out**(c, aenc(vote, pkA)).

12 let Administrator(pkA: skey) = **in**(c, x: bitstring); **let** v' = adec(x, skA) **in** 0.

(* Main process *)

13 **process**

14 **new** skA : skey;

15 **let** skA = pk(skA) **in**

16 **out**(c, pkA);

17 **!** (Voter(pkA) | Administrator(skA))

- Voters encrypt their votes with the administrator's public key.

- Prove that the attacker cannot guess voter's vote.

Observational equivalence - choice

- Prove two processes P and Q are observationally equivalent .
- P and Q have the same structure but differ only in the choice of terms.
- ProVerif provides encoding both P and Q using a „biprocess”.

Prove $P(M) \approx P(N)$ for some different M, N then
 $P(\text{choice}[M, N])$

- P is the voter process, skA and skB are secret key of the voters.
- $vote1$ and $vote2$ are votes made by voters.
- **Goal: to prove privacy property.**
 - The attacker cannot distinguish the situation when A makes $vote1$ and B votes $vote2$, and the situation when A makes $vote2$ and B votes $vote1$

To prove $P(skA, vote1) \mid P(skB, vote2) \approx P(skA, vote2) \mid P(skB, vote1)$:
 $P(skA, \text{choice}[vote1, vote2]) \mid P(skB, \text{choice}[vote2, vote1])$

- Relevant webpages

Official page: <http://www.proverif.ens.fr/>

Online demos: <http://server1.dsuresearch.org/ProVerif/demo/index2.php/>

GUI Editor: <http://sourceforge.net/projects/proverifeditor/>

- The full manual of ProVerif (by Bruno Blanchet) will be uploaded to the course's page.

- Instructions:

1. Download ProVerif's newest version: 1.86pl3 (archive file)
2. Extract the archive file and install the program is shown in slides 16-17.
3. Try examples that can be found in the archive file.
 - The best way to understand ProVerif is to play with example files.
 - Example files can be found in the directory *docs*: `docs/<filename>.pv`
 - Several examples with detailed comments: Needham-Schroeder, Diffie-Hellman, etc.

If do you have any question please contact me via mail:

thong[`@`]crys[`.`]hu (* remove [and] *)

- Webpages
 - Official page: <http://www.proverif.ens.fr/>
 - Online demos: <http://server1.dsuresearch.org/ProVerif/demo/index2.php/>
 - GUI Editor: <http://sourceforge.net/projects/proverifeditor/>
- ProVerif's versions: 1.85; 1.86pl3; 1.87beta6 (newest)
 - Developers: Bruno Blanchet, and his group. Ecole Normale Supérieure, France.
 - Developed in *Ocaml* logic programming language.
 - By default, has no GUI interface.
- Installation in Linux/Mac (download Ocaml 3.0, <http://caml.inria.fr/>)
 - Create a directory *proverif1.86pl3* in the current directory.
 - Using GNU tar: 1) `tar -xzf proverif1.86pl3.tar.gz` ; 2) `tar -xzf proverifdoc1.86pl3.tar.gz`
 - Using tar: 1.) `gunzip proverif1.86pl3.tar.gz`; 2.) `tar -xf proverif1.86pl3.tar`; 3.) `gunzip proverifdoc1.86pl3.tar.gz`; 4) `tar -xf proverifdoc1.86pl3.tar`.
 - Build the ProVerif
 - `cd proverif1.86pl3`
 - `./build`

■ Installation in Windows

- From binary
 - Does not require Ocaml !!!
 - Decomposes: *proverifbsd1.86pl3.tar.gz* and *proverifdoc1.86pl3.tar.gz* archives in the same directory.
- From source
 - Requires Ocaml installation, OCaml bytecode compiler.
 - Decomposes: *proverif1.86pl3.tar.gz* and *proverifdoc1.86.tar.gz* archives in the same directory.
 - In the command shell go to the directory where the two files were extracted and build *./build.bat*

■ Execution

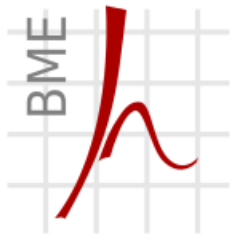
- Command line: *./proverif [options] < filename.pv >*

Windows: 1) open cmd; 2) cd to the directory; 3) *./proverif [options] < filename.pv >*

- *./proverif*: ProVerif's binary
- *< filename.pv >*: ProVerif's source file.
 - By default, only honest processes should be defined by users.
- *[options]*: options

Kérdések?

KÖSZÖNÖM A FIGYELMET!



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